



# String Searching Algorithm: A Predictive Approach

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## ABSTRACT

In today's time computer systems produce large volumes of data. In order to extract valuable information from this data various new techniques are being developed and used. This has led to the increase in the importance of text processing and consequently string searching. In this paper a new string searching algorithm is presented that uses intelligent predictions based on text features to search for a string in a text. The proposed algorithm has been developed after analyzing the existing algorithms such as KMP, Boyer-Moore and Horspool. One unique feature of this algorithm is that unlike the existing algorithms, it does not require pre-processing the pattern to be searched. As a result it does not incur the overhead required in pre-processing the pattern. The algorithm searches through a given text to find the first occurrence of a pattern. It does not involve complex computations and uses simple rules during a match or mismatch of a pattern character. Based on the variety of applications coming up in areas of data and information mining, sentiment analysis, DNA pattern matching etc, this simple, elegant and intelligent algorithm will find its application.

## General Terms

String searching

## Keywords

String search, Predictive search

## 1. INTRODUCTION

The term text processing in computing refers to the discipline of automating the creation or manipulation of textual data. The processing may include use of computer algorithms to restructure or reformat the text, extract information and store the data as files on a computer [1]. Text processing carries a lot of importance as a lot of digital information basically come down to a collection of text: configuration files, log files, etc. Moreover the internet provides information largely in the form of text.

One of the basic steps in text processing is word searching or word matching. A word search algorithm works by finding the first or all the occurrences of a word in a textual data. The word to be searched is generally called a pattern. Words alone provide valuable information for further processing and hence word search is an important component of text processing tasks like text editing, data retrieval and data manipulation [6]. Over the years word search has found immense application in text editors, web search and searching for patterns in biological databases. In the recent times sentiment analysis, online advertisements are some areas in which word search finds its use.

A word search algorithm takes a text  $T$  of length  $n$  and a pattern  $P$  of length  $m$  as the input. The text is then scanned using a window that has length equal to the size of the pattern. The leftmost ends of the pattern and window are aligned. The brute force method works by comparing each character of the pattern with that of the text and in case of a mismatch the pattern is shifted by one position to the right. Other existing algorithms generally work in two phases:- the pre-processing phase and the matching phase. The pre-processing phase is used to determine the number of positions by which the pattern needs to be shifted in case of a mismatch in the matching phase. The main goal of string matching algorithms is to increase efficiency by reducing the number of comparisons and increase the length of shifts in case of a mismatch. The issue of efficiency of string search algorithms has probably never been considered so seriously until the virtual text explosion caused by the internet and the task of mining valuable information from it. As a variety of tasks are presenting themselves different techniques, each efficient in its own specific area are being utilized.

The rest of the paper is organized as follows. Section 2 discusses about some previously existing algorithms. Section 3 presents the proposed algorithm. Section 4 presents an example for pattern searching using the proposed algorithm. Section 5 presents the experimental results of the proposed algorithm. Section 6 presents an analysis of the proposed algorithm and finally the paper is concluded in Section 7.

## 2. SURVEY OF EXISTING ALGORITHMS

### 2.1 Boyer Moore Algorithm

The Boyer Moore algorithm is one of the most extensively used pattern matching algorithms. All the algorithms prior to it attempted to find a pattern in a string by examining the leftmost character. Boyer and Moore believed that more information could be gained by beginning the comparison from the end of the pattern instead of the beginning [8]. This information often allows the pattern to proceed in large jumps through the text being searched [2]. The algorithm uses the bad character heuristic and the good suffix heuristic to determine the pattern shift in case of mismatch of a pattern character.

During the matching phase if there is a mismatch between the text character  $T[i]$  and the pattern character  $P[j]$  and if  $T[i]$  does not occur anywhere else in the pattern, then the pattern can be shifted completely by  $m$  positions towards the right. If  $T[i]$  is present in the pattern then the pattern is shifted until an occurrence of  $T[i]$  in the pattern gets aligned with  $T[i]$  of the text. This is the bad character heuristic.



The second type of shift is guided by a successful match of the last  $k > 0$  characters of the pattern,  $P[j...m]$  and corresponding characters,  $T[i...(i+k)]$  of the text.  $P[j...m]$  is referred to as the suffix of size  $k$  of the pattern and is denoted as  $\text{suff}(k)$ . If there is no occurrence of  $\text{suff}(k)$  in the pattern then it is shifted by its entire length. However if there exists a prefix (beginning part of the pattern) of size  $l < k$  that match suffix of the same size  $l$  then the pattern is shifted by a distance equal to the distance between the prefix and the suffix. On the other hand if there is another occurrence of  $\text{suff}(k)$  not preceded by the same character that caused the mismatch then the pattern is shifted by a distance equal to  $\text{suff}(k)$  and its rightmost occurrence [9]. This is the good suffix heuristic. The shift distance is taken to be the maximum of the distances obtained by the bad character heuristic and the good suffix heuristic.

The Boyer Moore algorithm is considered to be an efficient algorithm for pattern searching. It has the property that the longer the pattern is, the faster it performs. However the algorithm suffers from the phenomenon that it tends to work inefficiently on small alphabets like DNA. The skip distance tends to stop growing with the pattern length because substrings re-occur frequently [14]. Also, the pre-processing for the good suffix heuristic is difficult to understand and implement [10]. Furthermore, it suffers from the need for very large tables or state machines and thus requires extra space [14]. It also requires extra time for processing the pattern.

## 2.2 Horspool Algorithm

The Horspool algorithm also begins the comparison from the end of the pattern but unlike the Boyer Moore algorithm it only uses the bad character heuristic. Since the good suffix heuristic is complicated and difficult to implement, Horspool suggested that using only the bad character heuristic would also give performance similar to that of the Boyer-Moore algorithm. The Boyer Moore algorithm used the bad character of the text that caused a mismatch to determine the pattern shift distance. On the contrary Horspool's bad character heuristic uses the rightmost character of the current text window. During the matching phase, if  $T[i]$  and  $P[j]$  do not match and  $T[l]$  is the rightmost character of the current text window then the pattern is inspected to find the rightmost occurrence of  $T[l]$  in it. If no occurrence of  $T[l]$  exists in  $P$ , the pattern is shifted completely by its length  $m$ , otherwise the pattern is shifted until  $T[l]$  gets aligned to its rightmost occurrence in  $P$ .

The Horspool algorithm is a refinement of the Boyer Moore algorithm. Since it uses only the bad character heuristic, it requires less space but has a poorer worst case performance [11]. Like the Boyer Moore algorithm, the Horspool algorithm gets faster for longer patterns. However for shorter patterns the naïve algorithm is considered to be better [12].

## 2.3 Knuth Morris Pratt Algorithm

The Knuth Morris Pratt or the KMP algorithm begins the comparison from the leftmost character of the pattern. The following example explains the algorithm.

**Table 1. KMP algorithm example [10]**

0	1	2	3	4	5	6	7	8
A	B	C	A	B	C	A	B	D
A	B	C	A	B	D			
			A	B	C	A	B	D

At the first attempt the characters through position 0-4 or the prefix ABCAB of the pattern have matched. Comparison C-D at position 5 yields a mismatch. In order to determine the shift of the pattern let us define the term border. A border of a string is a substring that is both proper prefix and proper suffix of the string. In the above example the border of the matching prefix ABCAB is AB. The width of the prefix and its border is 5 and 2 respectively. The shift distance is determined by the difference between the width of the matching prefix and its border, which is 3 [10]. The pattern is shifted by three positions towards the right. This shift aligns the pattern with its occurrence in the text.

The KMP algorithm makes use of the information gained by previous character comparisons unlike the naïve algorithm. Hence it never needs to move backwards in the text, this makes the algorithm useful for processing large files [13]. However the performance of the KMP algorithm degrades for longer patterns as the possibility of character mismatch increases.

The algorithms discussed above and their variants have been in use in computer systems. However, these algorithms have their disadvantages either in terms of time and space requirements or the size of the pattern. As a result the algorithms fail to achieve the desired performance in certain applications or situations as mentioned previously. The proposed algorithm attempts to overcome these disadvantages and find its application in areas in which the discussed algorithms fail to perform.

## 3. THE PROPOSED ALGORITHM

The proposed algorithm finds the first occurrence of a pattern in a text that consists of words separated by a blank space. It does not require pre-processing the pattern to be searched and aims to search for a pattern by using features of the text. It begins the matching by aligning the leftmost ends of the text and the pattern. The leftmost characters are compared for a match. If there is a match the rightmost character of the pattern is compared with the rightmost character of the current window. If it matches the order of comparison of the remaining characters is from right to left. In case of a mismatch the algorithm uses two rules to make a shift namely alphabet-blank mismatch and alphabet-alphabet mismatch.

An alphabet-blank mismatch during the comparison of the leftmost character indicates that the next position might be a probable beginning of the pattern. As a result the pattern is shifted by one position towards the right. In case of an alphabet-alphabet mismatch during the comparison of the leftmost characters, the pattern is shifted by two positions towards the right because the character at the next position might either be a blank or a character that is a part of the current word to which the pattern is aligned.

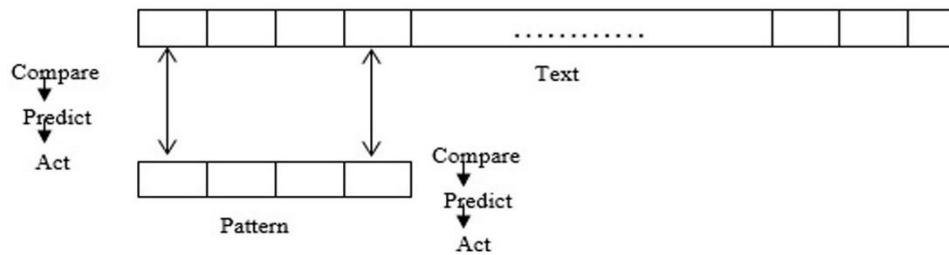


Fig 1: Schematic diagram for the proposed algorithm

During the comparison of the rightmost character of the pattern an alphabet-blank mismatch indicates that the pattern is not present at the current position as clearly the current word aligned is shorter than the pattern. As a result the pattern is shifted by  $(i+(m-1)+1)$  positions towards the right. Here 'i' indicates the starting position of the current text window. The value of i starts at 0. In case of an alphabet-alphabet mismatch, the algorithm checks for the character at the next position. If it is a blank the pattern is shifted by  $(i+(m-1)+2)$  positions towards the right. If it is a character the pattern is shifted by two positions towards the right.

When a mismatch occurs at any position other than the leftmost and the rightmost positions, the pattern is completely shifted by m positions towards the right.

The following specifies the steps of the proposed algorithm. P is the pattern of length m to be searched in a text T of length n. The notation  $T[i]$  is used to denote the  $i^{th}$  character in T. The value of i begins with 0. The algorithm returns the position of the first occurrence of P in T, if P is present in T.

Algorithm\_preditive\_search(T,P)

- 1: Align T and P
- 2: Repeat steps 3 to 5 until a match is found or until the end of T is reached.
- 3: Compare  $P[0]$  and  $T[i]$
- 4: if mismatch
  - a: Alphabet-blank  
Re align  $P[0]$  to  $T[i+1]$
  - b: Alphabet-alphabet  
Re align  $P[0]$  to  $T[i+2]$
- 5: if match compare  $P[m]$  to  $T[i+m]$ 
  - a: if match  
Compare remaining characters from right to left
  - b: if mismatch
    - 1: Alphabet-blank  
Re align  $P[0]$  to  $T[i+(m-1)+1]$
    - 2: Alphabet-alphabet
      - a: if  $T[i+(m+1)]$  is blank  
Re align  $P[0]$  to  $T[i+(m-1)+2]$
      - b: else  
Re align  $P[0]$  to  $T[i+2]$

Figure 1 shows a schematic diagram for the proposed algorithm. The figure also depicts the steps that the algorithm takes at each step i.e. compare the characters of the text and the pattern, predict accordingly the next step to be taken in case of a mismatch and act as per it.

#### 4. WORKING EXAMPLE

The following example shows the steps during the search of the pattern JOLLY of length 5 in a text of length 18.

Table 2. Pattern search using the proposed algorithm

J	O	H	N		I	S		J	O	L	L	Y
J	O	L	L	Y								
					J	O	L	L	Y			
							J	O	L	L	Y	
								J	O	L	L	Y

The leftmost comparison J-J yields a match. Therefore the rightmost character of the pattern is tried for a match, as this leads to an alphabet-blank mismatch, the pattern is shifted by its length. In the next stage the comparison I-J causes a mismatch. According to the rule the pattern is shifted by two positions. The next comparison causes an alphabet-blank mismatch. As a result the pattern is shifted by one position. The number of comparisons made up to this stage is four. The next shift of the pattern aligns the character J of the pattern to J of the current window. As this leads to a match, the rightmost character of the pattern is inspected. This too leads to a match. The remaining characters of the pattern also match with that of the current window. The algorithm then terminates and returns the index where the occurrence of the pattern starts in the text. For the above example the index is 8. Since all the characters of the pattern are compared, the number of comparisons finally made is nine.

#### 5. EXPERIMENTAL RESULTS

The proposed algorithm was tested on a number of test cases. The following shows some cases in which the pattern is located at different positions in the text, for varying lengths of pattern and for different types of mismatch. The number of comparisons that the algorithm makes, the number of attempts made is also shown.

Table 3. Comparisons made when pattern is at the end

C	A	B	C		B	E		C	B	A	E
C	B	A	E								
					C	B	A	E			
							C	B	A	E	
								C	B	A	E

The first comparison C-C leads to a match. As per the order, the next comparison is C-E. As this leads to an alphabet-alphabet mismatch and the next character is a blank space, the pattern is shifted by its length plus one positions i.e. by  $4 + 1 = 5$ , positions towards the right. This depicts the best shift that the algorithm can make. The next comparison is B-C, this



causes a mismatch. Thus the pattern is shifted by two positions. As the next comparison leads to an alphabet blank mismatch, the pattern is shifted by one position. This alignment causes a match of the pattern. The total number of comparisons made is eight.

The above example gives an insight into the average case performance of the algorithm as it considers the general cases of mismatch that occur during comparison of characters and the resulting pattern shift that take place. As seen from Table 3, an alphabet-alphabet mismatch is encountered at the rightmost position of the pattern and the resulting shift of the pattern made, which is the best possible shift. An alphabet-alphabet and an alphabet-blank mismatch at the leftmost positions are also encountered.

**Table 4. Comparisons made when pattern is within the text**

A	C	D	E	F		C	F		D	C	A	F	E		D	A	F
D	C	A	F	E													
		D	C	A	F	E											
			D	C	A	F	E										
						D	C	A	F	E							
							D	C	A	F	E						
								D	C	A	F	E					

The first comparison A-D causes a mismatch. Thus a shift is made by two positions. The next comparison D-D leads to a match, as a result the rightmost character is tried, as this leads to an alphabet-alphabet mismatch and the character at the next position is an alphabet, a shift of two positions is made. The next comparison F-D causes a mismatch and so does the next comparison C-D. The following comparison causes an alphabet-blank mismatch and the resulting shift aligns the pattern with its occurrence in the text. The number of comparisons made is eleven.

**Table 5. Comparisons made when pattern is within the text and the length is small**

P	Y	T	H	O	N		I	N		E	I	G	H	T	I	E	S
I	N																
		I	N														
			I	N													
				I	N												
					I	N											

The first comparison P-I causes an alphabet-alphabet mismatch, so the pattern is shifted by two positions. The next comparison T-I also causes an alphabet-alphabet mismatch and thus the shift is made accordingly. Same is the case for the comparison O-I. The pattern is finally aligned to its occurrence in the text as a result of the shift caused by the alphabet-blank mismatch in the second last attempt. The total number of comparison made is six.

## 6. ANALYSIS OF THE ALGORITHM

The algorithm finds for a match by making predictions as to what would occur at the next position in the text. The predictions are made on the basis of whether the character that caused a mismatch is a blank or an alphabet. At each mismatch the algorithm shifts the pattern by one or two positions depending on whether it is a blank or an alphabet mismatch. In the best case the algorithm shifts the pattern by

its entire length when the rightmost character of the pattern coincides with a blank character in the text or the character present next to the last character of the current window is a blank. Unlike the traditional pattern matching algorithms, the proposed algorithm works in just a single phase i.e. the matching phase and hence does not require additional time for pre-processing. The following example shows the steps in finding the pattern using the Boyer-Moore algorithm using the example considered in Table 2.

**Table 6. Pattern search using the Boyer Moore algorithm**

J	O	H	N		I	S		J	O	L	L	Y
J	O	L	L	Y								
					J	O	L	L	Y			
								J	O	L	L	Y

The Boyer-Moore Algorithm finds a match in the third attempt as seen in Table 6. It pre-processes the pattern JOLLY to determine the shifts in case of a mismatch. The comparison starts with the rightmost character of the pattern. As it can be seen from the figure, this leads to a mismatch and since the pattern does not contain a blank space it is completely shifted. The next comparison O-Y also causes a mismatch but there is an occurrence of O in the pattern, hence the pattern is shifted such that O in the text is aligned with O in the pattern. The number of comparison made up to this stage is two. The next comparison Y-Y leads to a match and so do the subsequent comparisons. The number of comparisons finally made is seven.

In Section 4, it was seen that for the same test case the number of comparisons made by the proposed algorithm was nine and the pattern was found in the fourth attempt. This was achieved without the pattern being processed before the comparisons were made.

Furthermore, for the test case shown in Table 5 in Section 5, the following observations were made when the Boyer Moore algorithm was used.

**Table 7. Pattern search using the Boyer Moore algorithm**

P	Y	T	H	O	N		I	N		E	I	G	H	T	I	E	S
I	N																
		I	N														
			I	N													
				I	N												
					I	N											

The first comparison Y-N causes a mismatch and as Y does not occur anywhere else in the pattern, the pattern is shifted by its length. The next comparison H-N also causes a mismatch and since H is not present anywhere else in the pattern, it is shifted by its length. The number of comparisons made up to this stage is two. The next comparison N-N leads to a match, hence the comparison O-I is made. This leads to a mismatch and so the pattern is shifted by its length. The number of comparison made up to this stage is four. The comparison I-N causes a mismatch but I is present in the pattern. As a result the pattern is shifted such that I in the text that caused the mismatch is aligned with the I in the pattern. The number of comparisons made till now is five. The next two comparisons N-N and I-I finds the occurrence of the pattern in the text. The total number of comparisons thus made is seven.





It was seen in Section 5 that for the same test case, the number of comparisons made by the proposed algorithm was six. Thus, from the above two observations we can say that for shorter patterns, the number of comparisons that the proposed algorithm makes to find a match is comparable to that of the Boyer-Moore Algorithm and in some cases its performance is even better.

On analysing the performance of the KMP algorithm for the example considered in Table 2, the following observations were made.

**Table 8. Pattern search using the KMP algorithm**

J	O	H	N		I	S		J	O	L	L	Y
J	O	L	L	Y								
		J	O	L	L	Y						
			J	O	L	L	Y					
				J	O	L	L	Y				
					J	O	L	L	Y			
						J	O	L	L	Y		
							J	O	L	L	Y	
								J	O	L	L	Y

The first comparison J-J leads to a match and so does the second comparison O-O. The comparison H-L causes a mismatch. The pattern is shifted by two as the length of the matching prefix is two and the border length is zero. The next comparison H-J causes a mismatch. As a result the pattern is shifted by one position. The next comparison N-O also causes a mismatch. Hence the pattern is shifted by one position. The following comparisons also cause a mismatch of the first character of the pattern and the pattern is shifted by one position in each of these cases until the pattern gets aligned with its occurrence in the text. The total number of comparisons made is fourteen.

As already observed the number of comparisons made by the proposed algorithm were nine as compared to fourteen made by the KMP algorithm.

The following table shows a comparison of the proposed algorithm with the Boyer Moore and the KMP algorithm. The comparisons are made on the basis of the number of comparisons each algorithm makes for searching each word of the text A TEST OF THE PROPOSED ALGORITHM.

**Table 9. Comparison of the proposed algorithm with KMP and Boyer Moore algorithm**

Pattern	Number of comparisons		
	Boyer Moore	KMP	Proposed
A	1	1	1
TEST	5	6	5
OF	6	9	6
THE	7	15	10
PROPOSED	11	22	16
ALGORITHM	12	33	18

It is evident from Table 9 that the proposed algorithm performs better than the KMP algorithm in all the cases and also shows performance comparable to that of the Boyer Moore algorithm. It is noteworthy that the proposed algorithm achieves this performance without pre-processing the pattern to be searched unlike the other two algorithms.

## 7. CONCLUSION

The proposed algorithm finds the first occurrence of a pattern in a text. One area in which it scores over other existing algorithms is that it does not require pre-processing but rather uses intelligent predictions to find a match. The algorithm has been tested and it is noteworthy that for shorter patterns the performance achieved is comparable to that of the Boyer Moore algorithm which is considered to be a benchmark algorithm for pattern matching. This performance is achieved just by examining the features of the text and making predictions unlike the Boyer Moore algorithm that involves use of previously computed values to make a pattern shift. The proposed algorithm has also been seen to achieve better performance than the KMP algorithm. The algorithm proposes the concept of predictive decision making in finding a pattern which is relatively new to string search. The only limitation that the algorithm has at the present stage is that it is not able to search for the occurrence of a pattern that occurs as a substring of a word in a text. Further analysis of the algorithm to determine its complexity and the elaboration of the concept of prediction to enable the search of substrings is the next step to be pursued.

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